

Influence of the atomic structure on the electric field enhancement in plasmonic nanostructures

Marc Barbry¹

P. Koval², F. Marchesin^{1,2}, R. Esteban², A. G. Borisov³, J. Aizpurua¹ and
D. Sánchez-Portal^{1,2}

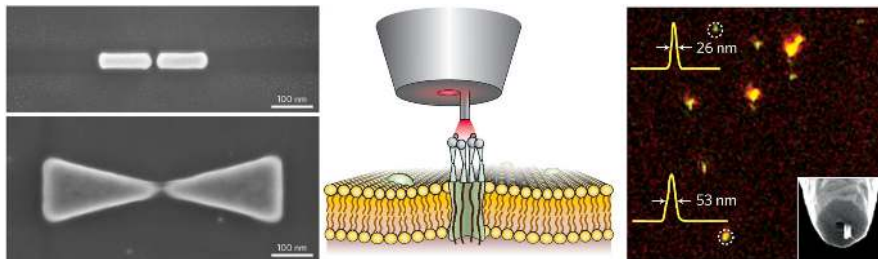
¹Centro de Física de Materiales (CFM), CSIC-UPV/EHU, San Sebastian, Spain

²Donostia International Physics center (DIPC), San Sebastian, Spain

³Laboratoire des Collisions Atomiques et Moléculaires, UMRS CNRS-université Paris-Sud, Orsay, France



Why field enhancement in nanocavity?



Left panel: two antennas with gap sizes down to ~ 10 nm, fabricated by focused ion beam milling. Center panel: schematic illustration of a biological imaging with optical antennas. Right panel: Fluorescently labelled antibodies imaged by the antenna probe.¹

Understanding light-matter interaction, application to:

- Nanoplasmonic devices, such as nanosensor², nanoantennas¹...
- Variety of technological applications as vibrational spectroscopies (SERS), solar cells ...

¹L. Novotny, N. Hulst, Nature Phot. 5, 83 (2011).

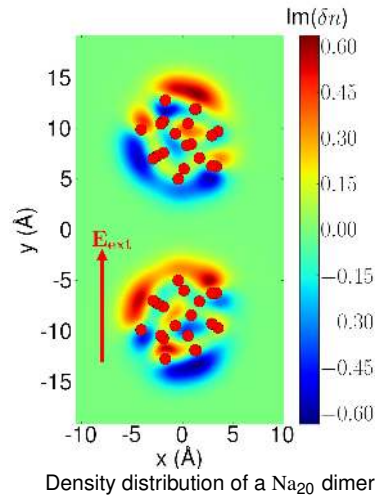
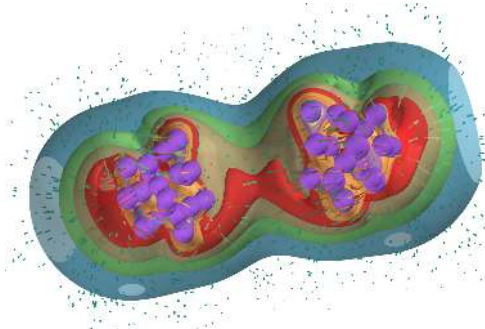
²J. N. Anker et al. Nature Mater. 7, 442 (2008).

Field enhancement from quantum mechanics calculation

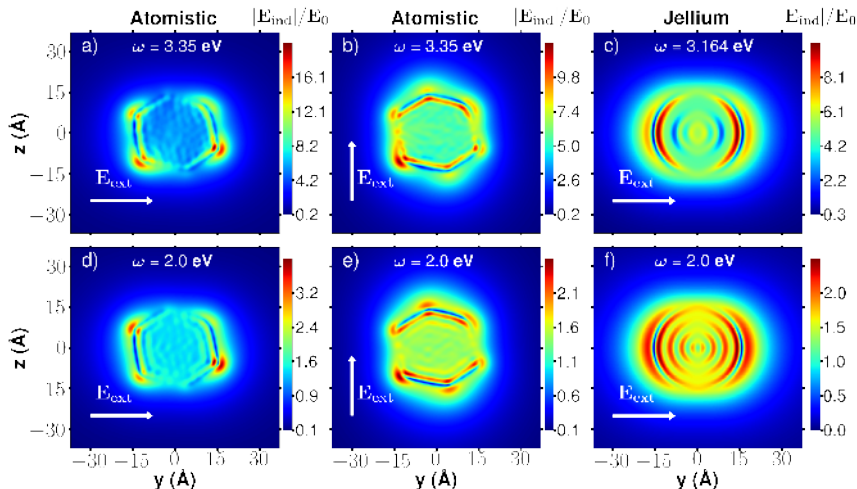
Density change and Induced electric field

$$[1 - \chi_0(\omega)K(\omega)] \delta n_\mu(\omega) = \chi_0(\omega) \mathbf{d}^\nu$$

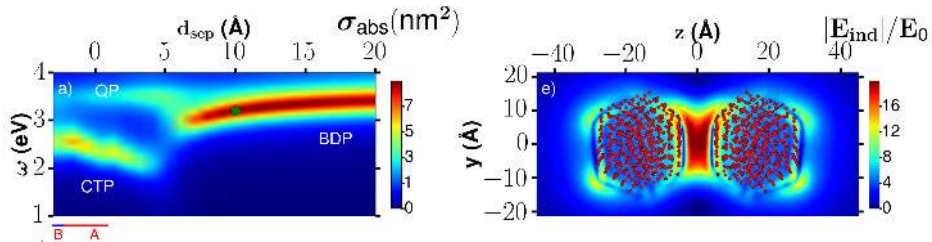
$$\mathbf{E}_{\text{ind}}(\mathbf{r}, \omega) = -\nabla_r \int \frac{\delta n(\mathbf{r}', \omega)}{|\mathbf{r} - \mathbf{r}'|} d^3 \mathbf{r}'$$



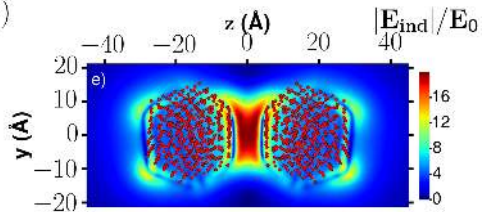
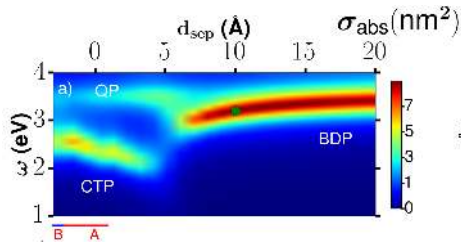
TDDFT calculations with atomic-scale resolution: Atomic-scale lightning rod effect for Na_{380} .



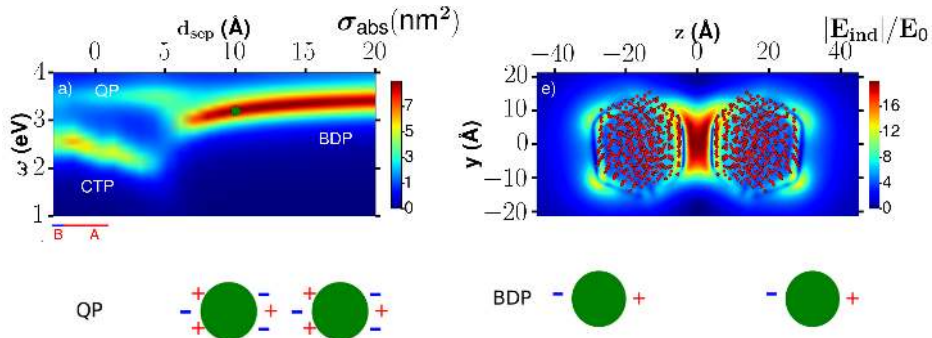
Far field and near field for Na_{380}



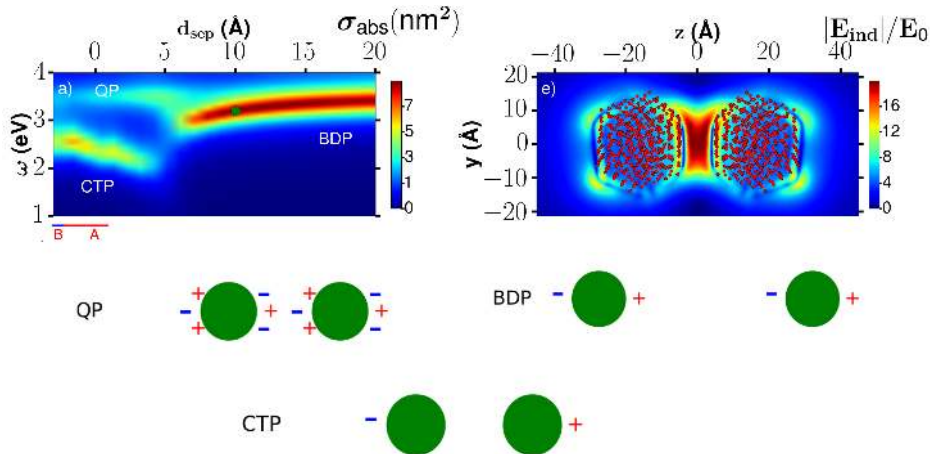
Far field and near field for Na₃₈₀



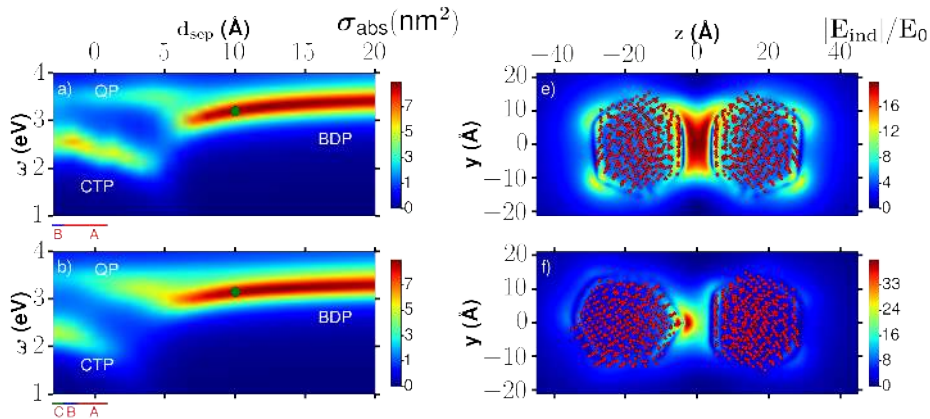
Far field and near field for Na₃₈₀



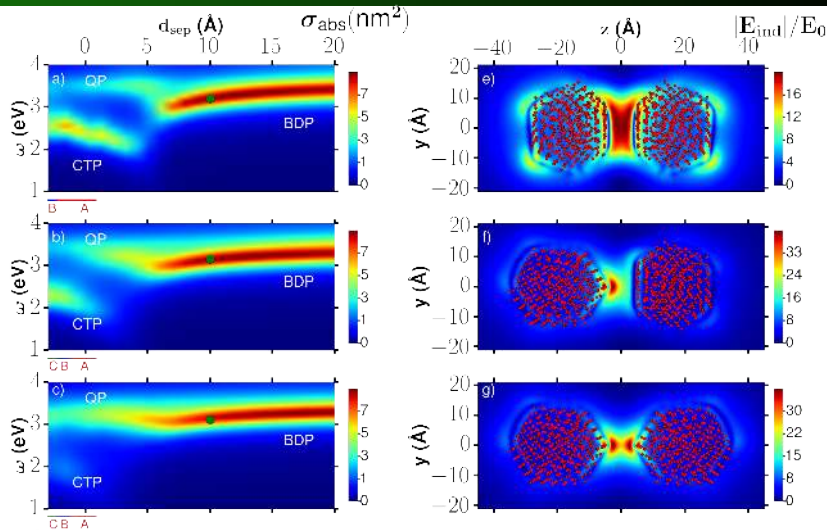
Far field and near field for Na_{380}



Far field and near field for Na₃₈₀

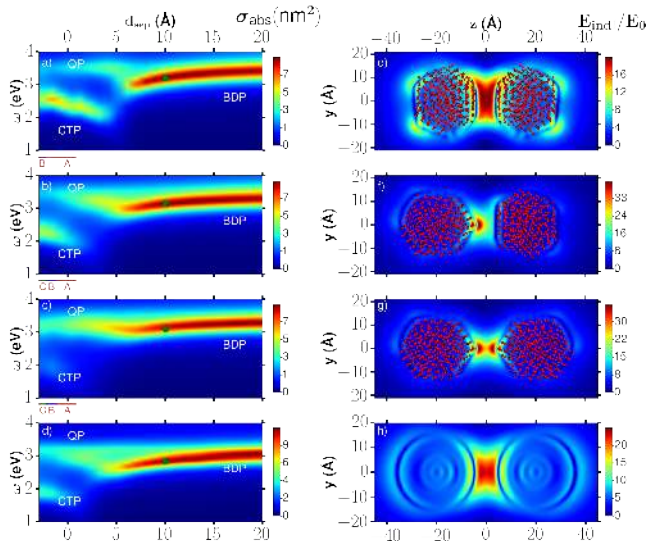


Far field and near field for Na₃₈₀

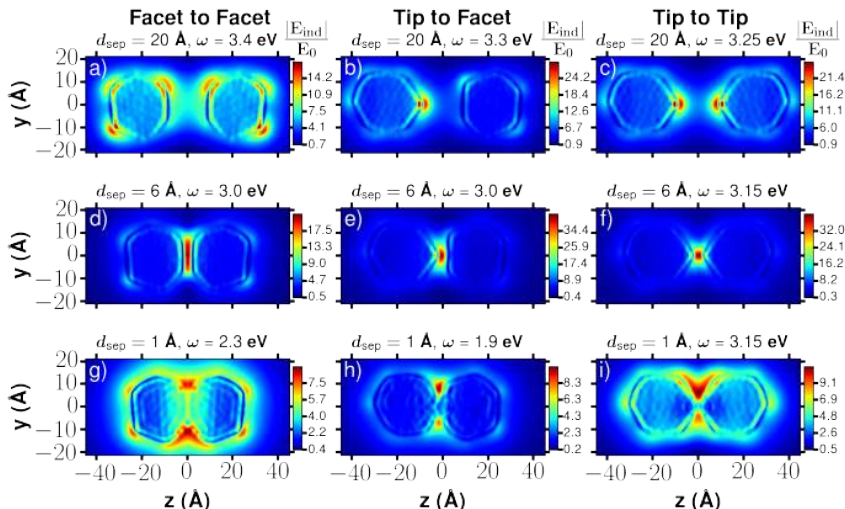


Far field and near field compared to Jellium for Na₃₈₀

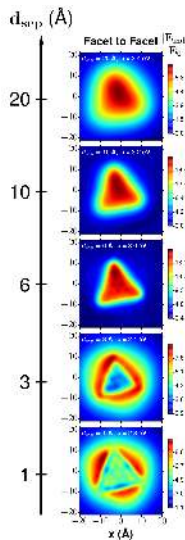
- Facet to facet
- Tip to facet
- Tip to tip
- Jellium



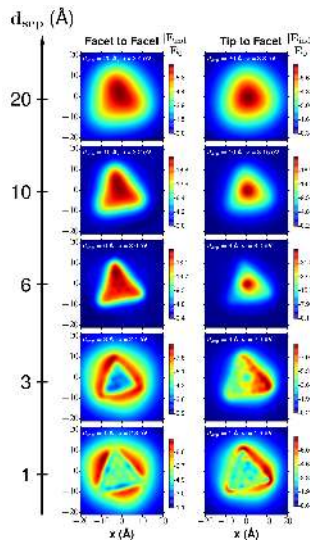
The near field dependence of the Na_{380} with the clusters separation



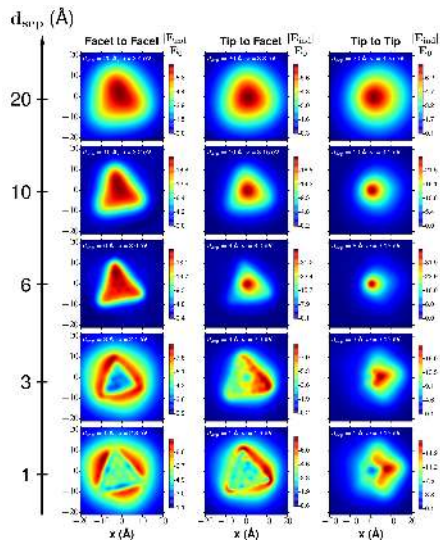
The near field dependence of the Na_{380} with the clusters separation



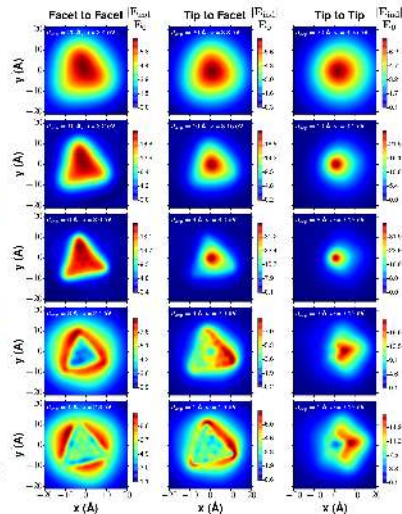
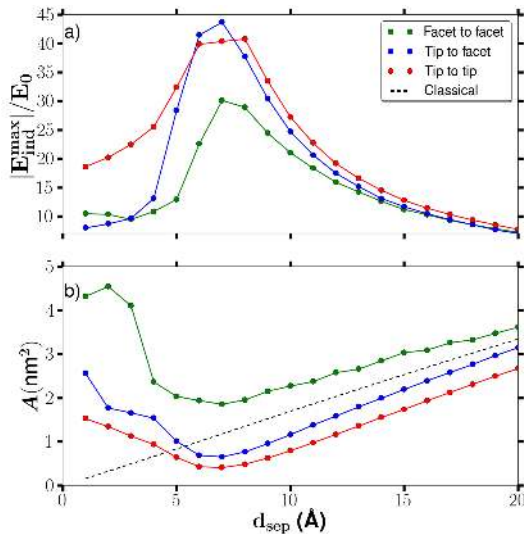
The near field dependence of the Na_{380} with the clusters separation



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The near field dependence of the Na_{380} with the clusters separation



Conclusion

Ab initio TDDFT calculations of realistic models for a plasmonic nanogap:

- Our model provides quantum mechanic atomic-scale resolution of the electric field enhancement in contrast to classic¹, jellium² and quantum corrected³ models.
- Thanks to this resolution we demonstrate a large dependence of the electric field enhancement on the geometrical details of the nanogap.
- With this model we wish now to look toward time dependence and EELS calculations. In order to get closer to the reality, the relaxation of the dimers is also a crucial forward step.

¹Taylor, R. W. et al. ACS Nano 5, 3878-3887 (2011).

²Quijada, M. et al. Phys. Rev. A 75, 042902 (2007).

³Esteban R. et al. Nature comm. 3, 825 (2012)



**Thank you for
your attention**

questions frame: TDDFT

Time-dependent Kohn-Sham equations

$$\left[-\frac{1}{2} \nabla^2 + V_{\text{eff}}(\mathbf{r}, t) \right] \varphi_i(\mathbf{r}, t) = i \frac{\partial}{\partial t} \varphi_i(\mathbf{r}, t),$$

with the effective time-dependent potential,

$$V_{\text{eff}}(\mathbf{r}, t) = V_{\text{ext}}(\mathbf{r}, t) + \int \frac{n(\mathbf{r}', t)}{|\mathbf{r} - \mathbf{r}'|} d\mathbf{r}' + V_{\text{xc}}(\mathbf{r}, t)$$

Fast Fourier Transform

$$\mathbf{E}_{\text{ind}}(\mathbf{r}, \omega) = -\text{FT}^{-1} \left(\text{FT} \left[\frac{\mathbf{r}}{|\mathbf{r}|^3} \right] \text{FT} [\delta n(\mathbf{r}, \omega)] \right)$$

questions frame: Cross section and polarizability in linear response TDDFT

Cross section σ

$$\sigma(\omega) = -\frac{4\pi\omega}{3c} \text{Im} [P_{xx}(\omega) + P_{yy}(\omega) + P_{zz}(\omega)]$$

$$\text{with } P_{ij}(\omega) = \int \mathbf{r}_i \chi(\mathbf{r}, \mathbf{r}', \omega) \mathbf{r}'_j d\mathbf{r} d\mathbf{r}'$$

Confinement A

$$A = \int_S \frac{|E_{\text{enh}}(x, y_0, z)|^2}{|E_{\text{enh}}^{\text{max}}|^2} dx dz$$

questions frame: Interpenetration of the clusters

